

SANT GADGE BABA MARAVATI UNIVERCITY, AMRAVATI
Summer Examination 202 Credit Point0
HVPM's College of Engineering and Technology, Amravati
Department of Electronics & Tele Communication Engineering
Bachelor of Engineering Sem:-VI

Subject:-CONTROL SYSTEM

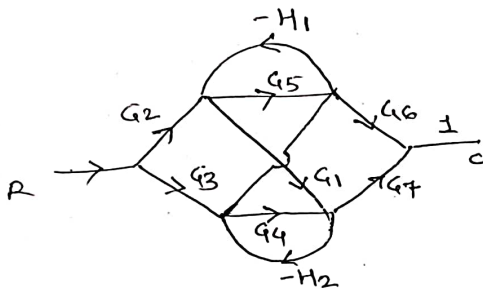
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Instructions:-

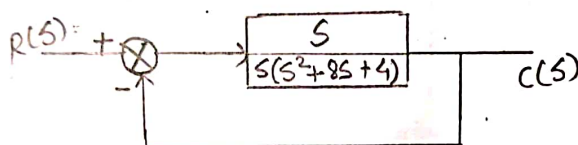
- 1) Solve any two questions**
- 2) All question carry equal marks**

Q1.

- a) Determine the overall transfer function form the signal flow graph shown below. **2 Credit Point**



- b) Explain the following terms: **2 Credit Point**
- i) Linear time invariant control system
 - ii) Linear time-varying control system
 - iii) Open loop control system
 - iv) Closed loop control system
- c) Define the response specifications: **2 Credit Point**
- i) Delay Time
 - ii) Rise Time
 - iii) Peak Time
 - iv) Settling Time
 - v) Peak over shoot
- d) Define static error constant and show how the steady state errors are related to these constants. Indicate the significance of these constants in control system. **2 Credit Point**
- e) For a system as shown in figure. **1 Credit Point**



Determine the range of K, for which system to be stable and also find frequency of oscillations.

- f) Sketch the root locus for the system having open loop transfer function

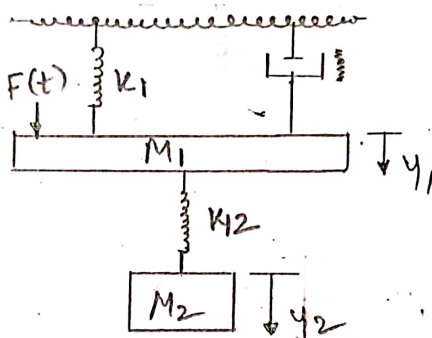
$$G(S) H(S) = \frac{K}{s(s+4)(s^2+4s+20)}$$

1 Credit Point

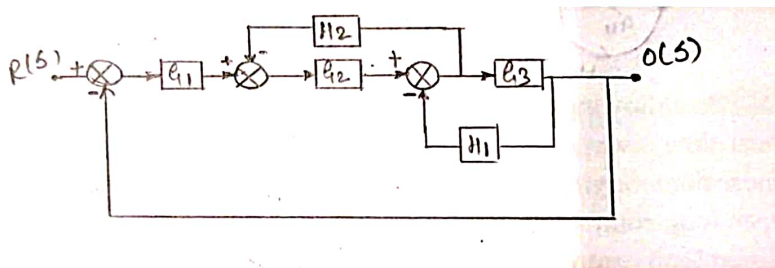
Also comment on stability of system.

Q2.

- a) Write the differential equations governing the behavior of the mechanical system shown in figure. Also obtain an analogue electrical circuit based on Force-Voltage analogy. **2 Credit Point**



- b) Simplify the block diagram given below and obtain the closed loop transfer function. **2 Credit Point**



- c) A unity feedback system is characterized by an open loop transfer function.

$$G(s) = \frac{K}{s(s+10)}$$

2 Credit Point

Determine the gain k , So that the system will have a damping ratio, $\xi=0.5$. For this value of k , Determine settling time, peak overshoot and time to peak overshoot for a unit step input.

- d) The open loop transfer function of servo system with unity feedback is

$$G(s) = \frac{10}{s(0.5s^2+1s+1)}$$

2 Credit Point

Evaluate the static error constants k_p , k_v , and k_a . Obtain the steady state error of the system when subjected of an input $r(t) = \frac{q^2}{2}t^2$

- e) The characteristics equation of control system is

$$3s^4 + 10s^3 + 5s^2 + 5s + 2 = 0$$

1 Credit Point

Using RH criteria, Determine whether system is stable or not.

- f) Define the gain margin and phase margin. Show how these could be determined from. **1 Credit Point**
 i) Polar Plot ii) Bode Plot

Q3.

- a) Draw the Bode plot for the system having open loop transfer function **2 Credit Point**

$$G(s).H(s) = \frac{12}{s(s+0.2)+(s+1)}$$
 On the plot specify
 i) Gain Crossover frequency
 ii) Phase crossover frequency
 iii) Gain margin
 iv) Phase margin
- b) Explain the condition of controllability and observability. **2 Credit Point**
- c) What are the advantages of state variable approach over the transfer function approach for a control system? **2 Credit Point**
- d) Draw the block diagram of digital control system. Also explain sampling and quantization. **2 Credit Point**
- e) Solve the difference equation. **1 Credit Point**

$$X_{(k+2)}+3X_{(k+1)}+2X_{(k)}=4^{(k)}$$
 With initial conditions $x_{(0)} = 0$ and $X_{(1)}=1$ for $k < 0.7$
- f) Sketch the polar plot for the system having **1 Credit Point**

$$G(s).H(s) = \frac{12}{s(s+1)+(s+2)}$$
 Determine: i) Phase crossover frequency ii) Gain margin

Q4.

- a) For a given transfer function. **2 Credit Point**

$$\frac{y(s)}{u(s)} = \frac{s^2+3s+3}{s^3+2s^2+3s+1}$$
 Draw a suitable signal flow graph and construct state model of the system.
- b) If state model of the system is as **2 Credit Point**

$$X(t) = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} X(t) + \begin{bmatrix} 0 \\ 2 \end{bmatrix} u(t) \text{ and } X(0) = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$$
 Determine the state transition matrix.
- c) Explain Jury's Stability Criterion. **2 Credit Point**
- d) Find inverse z-transform for **2 Credit Point**

$$X(z) = \frac{4z^2-2z}{z^3-5z^2+8z-4}$$
- e) Explain the working of sampled data control system. **1 Credit Point**
- f) Discuss Nyquist stability criterion for stability of control system in frequency domain. **1 Credit Point**